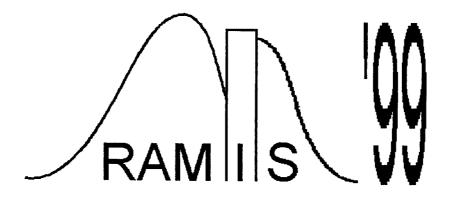
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## SOLID-ECHO IN SOLIDS WITH MOLECULAR MOTIONS. EFFECTS OF NONZERO PULSE WIDTHS.

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It is now well established that NMR solid-echo signal  $(90^0 - \tau - 90^0_{90} - t)$  can be significantly distorted in the so-called slow-motion regime  $(\tau_c^{-1} \approx M_2^{1/2})$  and the nature of this distortion may be used to obtain information about motional parameters [1-9]. It has been assumed almost in all of these considerations that RF pulses are the delta-functions. In this communication we consider the effects of nonzero pulse width on the solid-echo signal in solids with molecular motions.

Assuming the stochastic process describing the thermal motion of the magnetic nuclei is Gauss-Markov we have obtained the following expression for the solid-echo signal

$$V(t_1, \tau, t_2, t, \tau_c) = \exp\{-(\langle M_2 \rangle / 2) \left[ t - (2\tau + t_2 - (t_1 / 2)) \right]^2 - \Delta M_2 \tau_c^2 f(t_1, \tau, t_2, t, \tau_c) \right\}, \quad (1)$$

where  $\tau_c$  is the correlation time of the motion considered;  $t_1$  and  $t_2$  are the widths of the first and second RF pulses;  $\tau$  is the time interval between the RF pulses and this is the time between the beginnings of the first and second pulses; t is the time where NMR signal is observed and this time is measured from the beginning of the first pulse;  $\Delta M_2 = M_2 - \langle M_2 \rangle$  and  $M_2$  is the second moment of NMR line in "rigid" lattice,  $\langle M_2 \rangle$  is the second moment of motionally narrowed NMR line ( $\tau_c^{-1} >> M_2^{1/2}$ ).

The function  $f(t_1, \tau, t_2, t, \tau_c)$  has the form

$$f(t_{1}, \tau, t_{2}, t, \tau_{c}) = -(7/4) + (t/\tau_{c}) - (3t_{1}/4\tau_{c}) - (t_{2}/\tau_{c})$$

$$- (1/4) \exp(-t_{1}/\tau_{c}) - \exp(-t_{2}/\tau_{c}) - (1/2) \exp(-t/\tau_{c})$$

$$+ \exp[-(\tau - t_{1})/\tau_{c}] - (1/2) \exp[-(t - t_{1})/\tau_{c}]$$

$$+ \exp[-(t_{2} + \tau)/\tau_{c}] + \exp[-(t - \tau)/\tau_{c}] + \exp[-(t - \tau - t_{2})/\tau_{c}]. \tag{2}$$

From Eqs.(1), (2) it follows that at  $\tau_c^{-1} << M_2^{1/2}$  ("rigid" lattice) and  $\tau_c^{-1} >> M_2^{1/2}$  (motionally narrowed NMR line) the maximum of solid echo signal is observed at  $t_c = 2\tau + t_2 - (t_1/2)$  [10]. In the slow-motion regime ( $\tau_c^{-1} \approx M_2^{1/2}$ ) the maximum of solid echo signal is shifted to the end of the second pulse. Comparison of Eq.(1) with the experimental data obtained on polycrystalline benzen demonstrates a good agreement theory with the experiment and shows new possibilities in measuring motion parameters using a simple solid-echo experiment.

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